

Magnetoresistivity and upper critical field in superconductor Mo_3Sb_7

V. H. TRAN^{*}, E. BAUER^a, A. GALATANU^b, Z. BUKOWSKI^c

W. Trzebiatowski Institute of Low Temperature and Structure Research, Polish Academy of Sciences, P.O. Box 1410, 50-950 Wrocław, Poland

^a *Institute of Solid State Physics, Vienna University of Technology, A-1090 Wien, Austria*

^b *National Institute of Materials Physics, 77125 Magurele, Romania*

^c *Laboratory for Solid State Physics, ETH Zürich, 8093 Zürich, Switzerland*

Magnetotransport data on a single crystal of the superconducting Mo_3Sb_7 are reported for temperatures down to 0.4 K and in magnetic fields up to 12 T. The magnetoresistance data are analyzed in terms of the Ginzburg-Landau fluctuation theory. From the experimental data the upper critical field $H_{c2}(0)$ and Ginzburg-Landau coherent length $\xi(0)$ are determined to be ~ 2.3 T and 12 nm, respectively. The $H_{c2}(0)$ value agrees with that inferred from the Werthamer, Helfand, Hohenberg, and Maki theories for conventional type-II superconductors.

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1. Introduction

Measurements of magnetization and electrical resistivity on a single crystal of Mo_3Sb_7 have indicated superconducting transition in this compound at 2.08 K and have provided the upper critical field $\mu_0 H_{c2}(0) \sim 1.7$ T [1]. A similar value of $\mu_0 H_{c2}(0)$ was deduced from the Andreev-reflection data by Dmitriev et al. [2]. Furthermore, the latter authors have suggested either s-wave or unconventional pairing symmetry for the superconductivity of Mo_3Sb_7 [3]. However, owing to the fact that both the magnetization and Andreev-reflection experiments were performed only down to 1.8 K, accurate determination of $\mu_0 H_{c2}(0)$ is rather limited. The narrow temperature range of these studies (1.7- 2.1 K) would also lead to question about the claimed pairing mechanism of the superconductivity. In this work, we have studied magnetoresistance down to 0.4 K and in magnetic fields $\mu_0 H$ up to 12 T and then, we have determined the mean-field critical temperatures $T_c(H)$. From obtained data we obtained $\mu_0 H_{c2}(0) \sim 2.3$ T and the Ginzburg-Landau coherent length $\xi(0) \sim 12$ nm. We found that the temperature dependence of the resistance can be scaled with help of the Ginzburg-Landau fluctuation theory for three dimensional systems.

2. Experimental details

The data presented in this paper were collected on the same single crystal Mo_3Sb_7 , on which the magnetization and electrical resistivity down to 1.8 K were previously measured [1]. The crystal was grown by peritectical

reaction between Mo and Sb at high temperatures. Details of preparation have been previously elsewhere [1]. The low-temperature magnetoresistance was performed using the dc-standard technique with a current strength of 10 mA. Magnetic field and temperature are controlled via a cryogenic system Oxford PS 120 (?). The direction of magnetic field was applied orthogonally to that of the current.

3. Results and discussion

In Fig. 1 we show temperature dependence of the resistivity at zero field. Clearly, the resistivity exhibits the first-order transition to the superconducting state at $T_c = 2.02 \pm 0.1$ K. A high-quality of the studied Mo_3Sb_7 crystal may be supported by a narrow width of the phase transition $\Delta T(90\% - 10\%) = 0.12$ K. In the inset of Fig. 1 we show the data in the normal state. One can see that with increasing temperature up to 40 K the resistivity increases rapidly and is well described by an energy gap function $\rho(T) = \rho_0 + bT + c \exp(-D/k_B T)$, where ρ_0 is the residual resistivity of the normal state, b and c are constants and Δ is an energy gap. The fit to the experimental data (solid line) yield $\rho_0 = 95.3(3) \mu\Omega\text{cm}$, $b = 8.5 \times 10^{-3} \mu\Omega\text{cm/K}$, $c = 22.9(2) \mu\Omega\text{cm}$ and $\Delta = 84(2)$ K. We may add that an attempt of fitting of the resistivity data to the T^2 - or T^5 -dependence responsible for electron-electron and electron-phonon scattering, respectively, is failed.

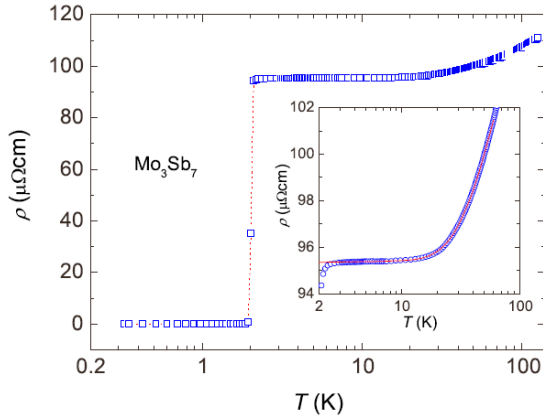


Fig. 1. Temperature dependence of the zero-field electrical resistivity for the Mo₃Sb₇ single crystal. The inset shows the fit describing an energy gap function of the resistivity for the temperature range 3 - 40 K.

In Fig. 2, the resistivity at several applied fields up to 8 T is shown as a function of temperature. Obviously, for increasing applied field there is a suppression of the superconducting phase to lower temperatures. Other feature is seen here is that the field shifts resistivity to higher values. This behaviour resembles that of magnetic field induced superconductor-insulator transition in Nd_{2-x}Ce_xCuO_{4±δ} films [4]. For temperature above 5 K, the values of the resistivity in different fields up to 12 T (not shown here) are practically identical.

Shown in Fig. 3 are temperature dependencies of the resistivity measured in magnetic fields $0 \leq \mu_0 H \leq 2$ T. At each field the resistivity curve exhibits a rounding before the superconductivity sets in. Such a feature has previously observed in YBa₂Cu₃O_{7-δ} and has been attributed to thermodynamic fluctuations of the order parameter [5]. The effect of fluctuations on the transport properties of the type-II superconductors in magnetic fields has studied by several authors [6-8] by means of the time-dependent Ginzburg-Landau theory. Following Ullah and Dorsey [7], who derived expressions for the fluctuation conductivity σ_f for three dimensional (3D) systems:

$$\sigma_f(\mu_0 H / T^2)^{1/3} = f\left(\frac{T - T_c(H)}{(T\mu_0 H)^{2/3}}\right), \quad (1)$$

where f is the unknown scaling function, we have considered the resistivity data for $0.25 \leq \mu_0 H \leq 2$ T. In Fig. 4 we show the dependence of $\sigma_f(\mu_0 H / T^2)^{1/3}$ on $\left(\frac{T - T_c(H)}{(T\mu_0 H)^{2/3}}\right)$. As can be seen from the figure, the 3D scaling behaviour persists for the resistivity in fields up to 1.35 T. The obtained results imply that the fluctuations may be important in the temperature range around T_c .

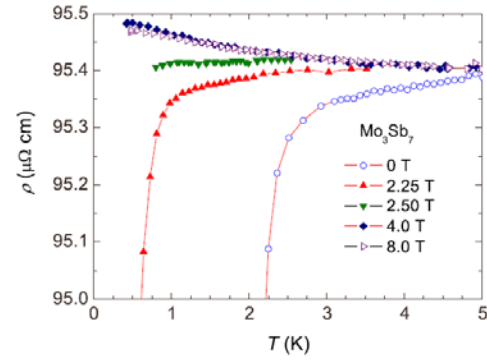


Fig. 2. Electrical resistivity as a function of temperature for the Mo₃Sb₇ single crystal measured in magnetic fields up to 8 T.

The $H_{c2}(T)$ values deduced from the experimental data are shown in Fig. 5. Note that the critical temperature $T_c(H)$ obtained by the above scaling has similar values to those inferred from the maximum of the temperature derivative of the resistivity. We observe that the upper critical field $H_{c2}(T)$ data do not follow the conventional BCS formula for weak-coupling superconductors i.e., $H_{c2}(T) \sim -(T/T_c)^2$ [9]. Instead, the values of $\mu_0 H_{c2}$ are well described by a power law $\mu_0 H_{c2} = \mu_0 H_{c2}(0)[1 - (T/T_c)^{1.27}]$. From the fitting $\mu_0 H_{c2}(0)$ is determined to be 2.31 T. The upper critical field of a superconductor reflects the combined effect of an external magnetic field on the spin and orbital degrees of freedom of the conduction electrons. Werthamer et al. [10] and Maki [11] developed a theory for H_{c2} taking into account both spin and orbital paramagnetic effects. Using the Werthamer-Helfand-Hohenber (WHH) equation for type-II superconductors in the dirty limit at $T = 0$ [10]:

$$\mu_0 H_{c2}(0) = 0.693(-d\mu_0 H_{c2}/dT)\big|_{T \sim T_c} T_c \quad (2)$$

we estimated $\mu_0 H_{c2}(0)$ to be 1.94 T, being considerably smaller than that extrapolated above. The upper critical field does not behave as predicted WHH formula for the clean limit can also be seen in the inset of Fig. 5, illustrated as dotted line. In the calculation, we used the initial slope of the upper critical field vs temperatures around T_c , $d\mu_0 H_{c2}/dT\big|_{T \sim T_c} = -1.39$ T/K. The initial slope $d\mu_0 H_{c2}/dT\big|_{T \sim T_c}$ results in a Maki-parameter

[11] as $\alpha = -0.52758 d\mu_0 H_{c2}/dT\big|_{T \sim T_c} = 0.733$. The

upper critical field $\mu_0 H_{c2}(0)$ is calculated as $\mu_0 H_{c2}(0) = \alpha H_{p0}/\sqrt{2} = 2.19$ T, where $H_{p0} = 1.84T_c = 4.23$ T. Thus, the obtained $\mu_0 H_{c2}(0)$ with Werthamer-Helfand-Hohenber-Maki (WHHM) theory reasonably agrees with that extrapolated value of 2.31 T. From the latter value we deduce zero-temperature coherence length $\xi(0)$ of 12 nm, which is rather short as for typical type-II superconductors.

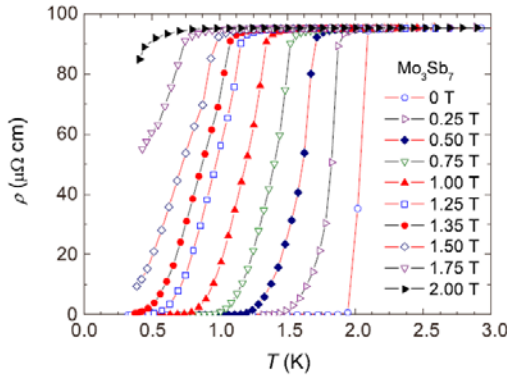


Fig. 3. Electrical resistivity as a function of temperature for the Mo_3Sb_7 single crystal measured in magnetic fields up to 2 T.

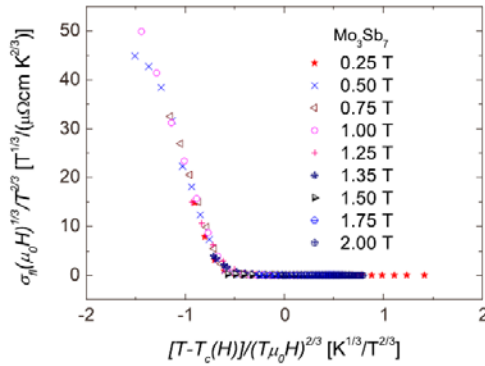


Fig. 4. $\sigma_H(\mu_0 H/T^2)^{1/3}$ of Mo_3Sb_7 as a function of $\frac{(T - T_c(H))}{(T\mu_0 H)^{2/3}}$ for magnetic fields $0 \leq \mu_0 H \leq 2$ T.

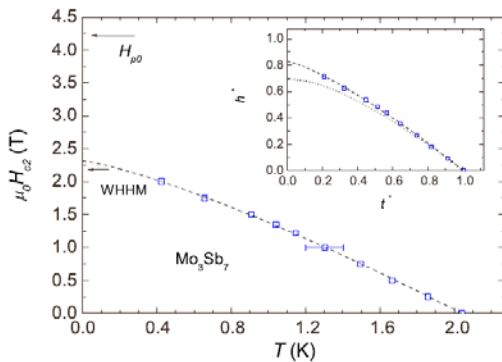


Fig. 5. Magnetic field $\mu_0 H$ vs temperature T phase diagram of Mo_3Sb_7 . The dashed line is a fit to power law $\mu_0 H_{c2} = \mu_0 H_{c2}(0)[1 - (T/T_c)^{1.27}]$. The arrows indicate the Pauli-limiting field H_{p0} and the upper critical field estimated from WHHM theory, respectively. The inset compares WHH theory in the clean limit (dotted line) with the experimental data of Mo_3Sb_7 (open squares)...

4. Conclusions

In this paper we present magnetoresistance data on a single crystal of the superconductor Mo_3Sb_7 . In the normal state we observe that the resistivity is field-independent up to 12 T. In the superconducting state we find that the fluctuation conductivity follows a 3D scaling behaviour and the upper critical field $\mu_0 H(T)$ curve agrees with the WHHM theory for type-II superconductors with paramagnetic limiting. From the analysis of the magnetoresistance data we deduced the zero-temperature upper critical field $\mu_0 H \sim 2.3$ T and zero-temperature coherence length $\xi(0) \sim 12$ nm.

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References

- [1] Z. Bukowski, D. Badurski, J. Stepień-Damm, R. Troć *Solid State Commun.* **123**, 283 (2002).
- [2] V. M. Dmitriev, L. F. Rybaltchenko, L. A. Ishchenko, E. V. Khristenko, Z. Bukowski, R. Troć, *Supercond. Sci. Technol.* **19**, 573 (2006).
- [3] V. M. Dmitriev, L. F. Rybaltchenko, E. V. Khristenko, L. A. Ishchenko, Z. Bukowski, R. Troć, *Fizika Nizkikh Temperatur* **33**, 399 (2007).
- [4] S. Tanda, S. Ohzeki, T. Nakayama, *Phys. Rev. Lett.* **69**, 530 (1992).
- [5] U. Welp, S. Fleshler, W. K. Kwok, R. A. Klemm, V. M. Vinokur, J. Downey, B. Veal, G. W. Crabtree, *Phys. Rev. Lett.* **67**, 3180 (1991).
- [6] R. Ikeda, T. Ohmi, T. Tsuneto, *J. Phys. Soc. Jpn.* **60**, 1051 (1991).
- [7] S. Ullah, A. T. Dorsey, *Phys. Rev. B* **44**, 262 (1991).
- [8] Z. Tesanovic, L. Xing, L. Bulaevskii, Q. Li., M. Suenaga, *Phys. Rev. Lett.* **69**, 3563 (1992).
- [9] Bardeen J., Cooper L. N., and Schrieffer J. R., *Phys. Rev.* **108**, 1175 (1967).
- [10] Werthamer N.R., Helfand E. and Hohenberg P.C. *Phys. Rev.* **147**, 295 (1966).
- [11] Maki K., *Phys. Rev.* **148** 362 (1966).

*Corresponding author: tntran@ucdavis.edu